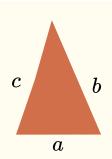
Triangle

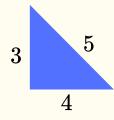


Triangle Inequality:

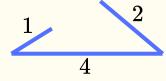
The sum of any two sides of a triangle is greater than the third side.

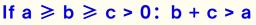
$$a + b > c$$
, $a + c > b$, $b + c > a$

The difference of two sides is less than the third side. c - a < b, c - b < a, b - c < a, b - a < c, a - b < c, a - c < b



Example: 3 + 4 > 5







valid triangle.



For each group, determine whether the three side lengths can form a triangle.

Group 5:
$$a = \frac{1}{2}$$
, $b = \frac{1}{6}$, $c = \frac{1}{3}$

(A) Yes (B) No
$$3:7+8=15$$
, no

(A) Yes (B) No 5:
$$\frac{1}{6} + \frac{1}{3} = \frac{1}{2}$$
, no



In a triangle, two sides have lengths 32 and 47. Choose the possible length(s) of the third side from the options below: ___CDE

A. 10 B. 15 C. 23.5 D. 38 E. 62 F. 101

A. 10, 32, 47: $10 + 32 = 42 \le 47$, no

B. 15, 32, 47: $15 + 32 = 47 \le 47$, no

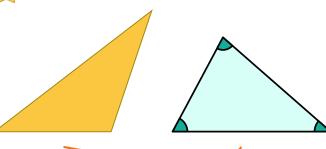
C. 23.5, 32, 47: 23.5 + 32 = 55.5 > 47, yes

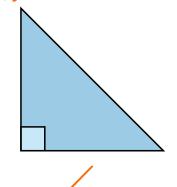
D. 32, 38, 47: 32 + 38 = 70 > 47, yes

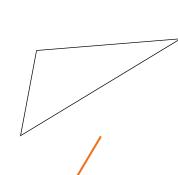
E. 32, 47, 62: 32 + 47 = 79 > 62, yes

F. 32, 47, 101: $32 + 47 = 79 \le 101$, no











Acute triangle

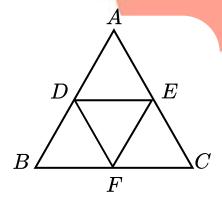
Right triangle

Obtuse triangle

Triangle

△ABC is equilateral. Points D, E, and F are the midpoints of sides AB, AC, and BC, respectively. There are <u>5</u> equilateral triangles in the figure in total.

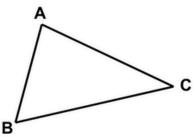
△ABC
△ADE
△BDF
△CEF
△DEF





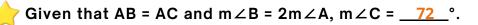
$$m\angle B = 180^{\circ} - m\angle A - m\angle C$$

= 55°



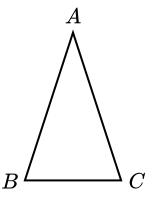
The perimeter of an isosceles triangle is 26 cm. The length of each equal side of the triangle is 10 cm long. The length of its base side is ___6__cm.

$$26 - 10 \times 2 = 6 (cm)$$



$$m\angle A + m\angle B + m\angle C = 180^{\circ}, m\angle B = m\angle C$$

 $m\angle A + 2m\angle A + 2m\angle A = 180^{\circ}$
 $5m\angle A = 180^{\circ}$
 $m\angle A = 36^{\circ}$
 $m\angle C = 2m\angle A = 72^{\circ}$



Challenge

We have learned that the sum of the interior angles of a triangle is 180°.

By dividing a quadrilateral into 2 triangles, we can find that the sum of its interior angles is $180^{\circ} \times 2 = 360^{\circ}$.

By dividing a pentagon into 3 triangles, we can find that the sum of its interior angles is $180^{\circ} \times 3 = 540^{\circ}$.

By dividing a hexagon into <u>4</u> triangles, we can find that the sum of its interior angles is <u>720</u>°.

By dividing an *n*-sided polygon into $\underline{n-2}$ triangles, we can find that the sum of its interior angles is $\underline{180 (n-2)}^{\circ}$.









扫码查看老师demo

