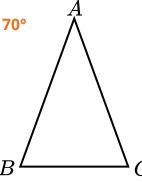
Triangle



Given that AB = AC and $m \angle A = 40^{\circ}$, $m \angle B = 70$ °.

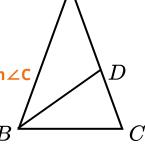
 $m \angle B = (180^{\circ} - m \angle A) \div 2 = 70^{\circ}$



Given that AB = AC and m∠ABD = $m \angle CBD = 35^{\circ}, m \angle BDC = __75_{\circ}.$

$$m \angle C = m \angle ABC$$

= $m \angle ABD + m \angle CBD$
= 70°



An isosceles triangle has two equal sides of 6 cm each and a base of 5 cm. Its perimeter is <u>17</u> cm.

$$6 + 6 + 5 = 17$$

of perimeter an equilateral The triangle is 6 cm. The length of each side is $\frac{2}{}$ cm.

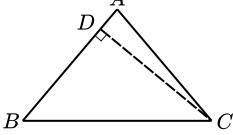
$$6 \div 3 = 2$$



In \triangle ABC shown in the figure, AB = AC. Point D lies on side AB, such that CD \perp AB. Given that $m \angle DCB = 40^{\circ}$, $m \angle A = 80^{\circ}$.

$$m \angle B = 180^{\circ} - m \angle BDC - m \angle DCB = 50^{\circ}$$

 $AB=AC - m \angle ACB = m \angle B = 50^{\circ}$
 $m \angle A = 180 - m \angle B - m \angle ACB = 80^{\circ}$



As shown in the figure, in \triangle ABC,

points D and E lie on sides AC and AB,

respectively. BE = DE, BD = BC, and

 $m \angle ADE = 90^{\circ}$. Given that $m \angle DBE =$

 $m \angle BDC = 180^{\circ} - m \angle ADE - m \angle BDE = 67.5^{\circ}$

As shown in the figure, \triangle ABC is an equilateral triangle, D is the midpoint of BC, and AC = CE.

(1) $m \angle BAE = 90^{\circ}$.

C

D

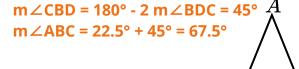
(2) Given that AB = 2 cm, DE = 3 cm.

(1) $m\angle ACB = m\angle BAC = m\angle ABC = 60^{\circ} m\angle BDE = m\angle DBE = 22.5^{\circ}$ $m\angle ACE = 180^{\circ} - m\angle ACB = 120^{\circ}$ $m\angle CAE = (180^{\circ} - m\angle ACE) \div 2 = 30^{\circ}$ $m \angle BAE = m \angle BAC + m \angle CAE = 90^{\circ}$

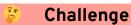
(2) AB=AC=BC

 F_{c} CD = $\frac{1}{2}$ BC = $\frac{1}{2}$ AB = 1 cm CE = AC = AB = 2 cm

DE = CD + CE = 3cm



22.5°, m∠ABC = <u>67.5</u>°.





B

As shown in the figure, points P and Q lie on side BC. Given that AP = AQ = BP = PQ = QC, m∠BAC = <u>120</u>°.

 $m\angle PAQ = m\angle APQ = m\angle AQP = 60^{\circ}$ $m\angle APB = 180^{\circ} - m\angle APQ = 120^{\circ}$ $m\angle PAB = (180^{\circ} - m\angle APB) \div 2 = 30^{\circ}$ $m\angle AQC = 180^{\circ} - m\angle AQP = 120^{\circ}$ $m\angle CAQ = (180^{\circ} - m\angle AQC) \div 2 = 30^{\circ}$ $m \angle BAC = m \angle PAB + m \angle CAQ + m \angle PAQ = 120^{\circ}$

